

Molecular Geometry + Symmetry

The VSEPR Model - Valence Shell Electron Pair Repulsion

↳ A Refinement of Lewis Theory that allows us to make predictions about molecular shape

Basic Assumption: Regions of high e^- density in a molecule will orient as far away from one another as possible



Driven purely by coulombic repulsion due to the mutual negative charges of e^- s in areas of high e^- density

Regions of Enhanced e^- density

- ① Non-bonding lone pairs
- ② Bonding e^- pairs
- ③ Multiple pairs of bonding e^-

Steric Number = # of positions occupied by atoms or non-bonding e^- about a central atom.

∴ Molecules can be described by AX_mE_n

$m + n =$ the total # of occupied positions around A

Central Atom

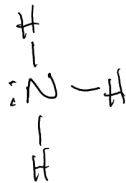
groups of atoms around A

lone pairs of e^-

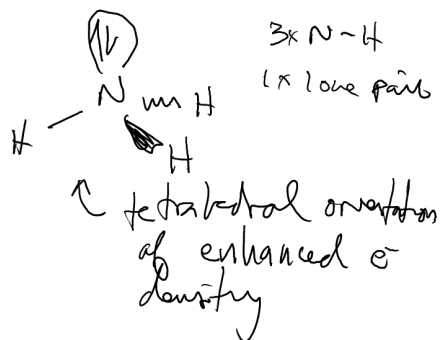
Although both bonding + non-bonding e^- contribute to shape of the molecule + are used to define the steric # the shape of the molecule is determined by the arrangement of atoms

↑
none

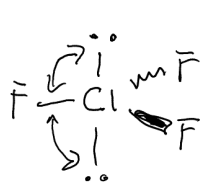
↳ Consider Ammonia (NH_3)



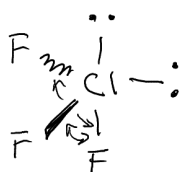
"Shape of NH_3 is trigonal pyramidal"



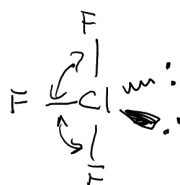
Let's use VSEPR theory to predict molecular shape
 Consider $\text{ClF}_3 \Rightarrow 28 \text{ valence e}^- \Rightarrow 3 \text{ potential TBP}$



D_{3h}



C_s



C_{2v}

$E(lp-lp) > E(lp-bp) > E(bp-bp)$
 For 90° interactions

lp-lp
 lp-bp
 bp-bp

0
 6
 0

1
 3
 2

0
 4
 2

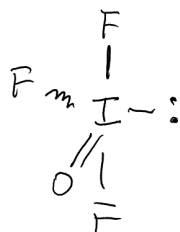
$E(C_s) < E(D_{3h}) < E(C_{2v})$

What about when we have multiple bonds ($A-X$ vs $A=X$)
 $A=X \Rightarrow$ greater steric perturbation

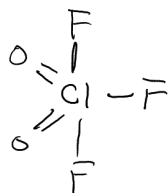
$A=X$
 $\uparrow e^-$ density greater than for $A-X$

For cases where we have multiple bonds - prefer equatorial position

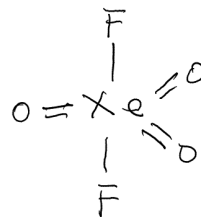
Consider IOF_3



ClF_3O_2



XeF_2O_3



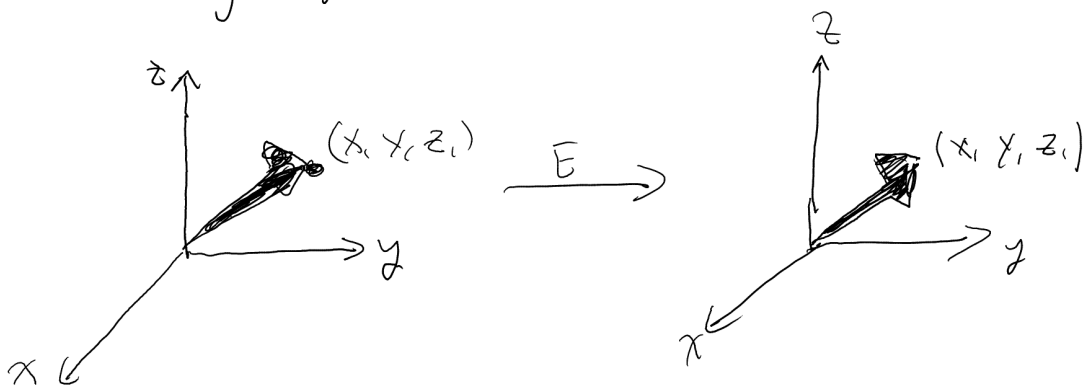
Symmetry + intro to Point Groups

Symmetry operations - moves an object into an indistinguishable representation

Symmetry elements - a point, a line, a plane about which a symmetry operation is performed

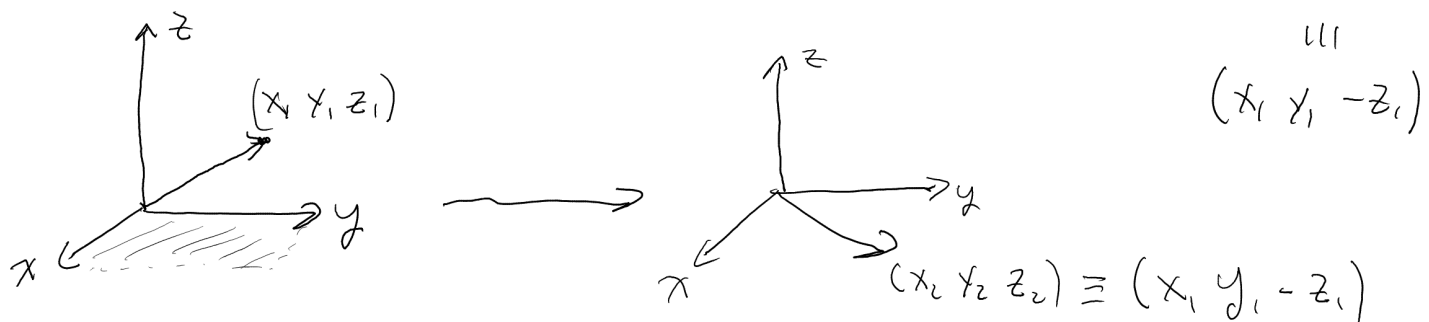
5 Symmetry operations, which can be defined wrt to a point (x_1, y_1, z_1)

① Identity (E)



Molecule containing σ cannot be chiral

② Plane of Reflection (σ)



③ point of reflection / Center of inversion

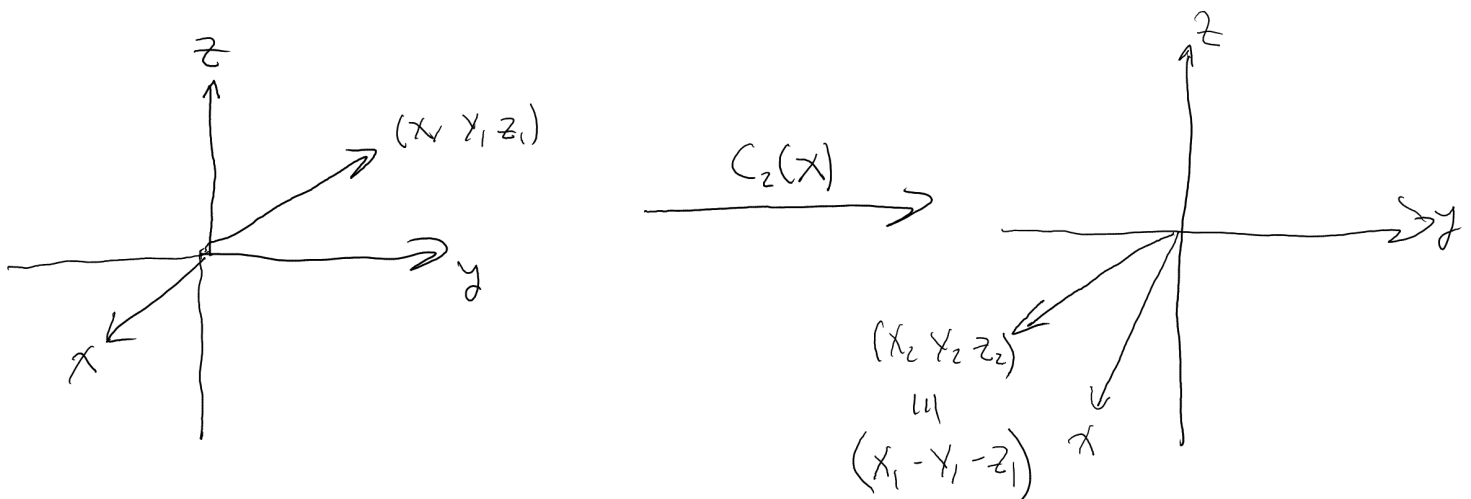
$$i (x_1, y_1, z_1) \rightarrow (x_2, y_2, z_2)$$

$$\equiv$$

$$(-x_1, -y_1, -z_1)$$

Molecule containing i Cannot be Chiral

④ Proper Axis of Rotation (C_n) $\theta = \frac{2\pi}{n}$ or $360^\circ/n$

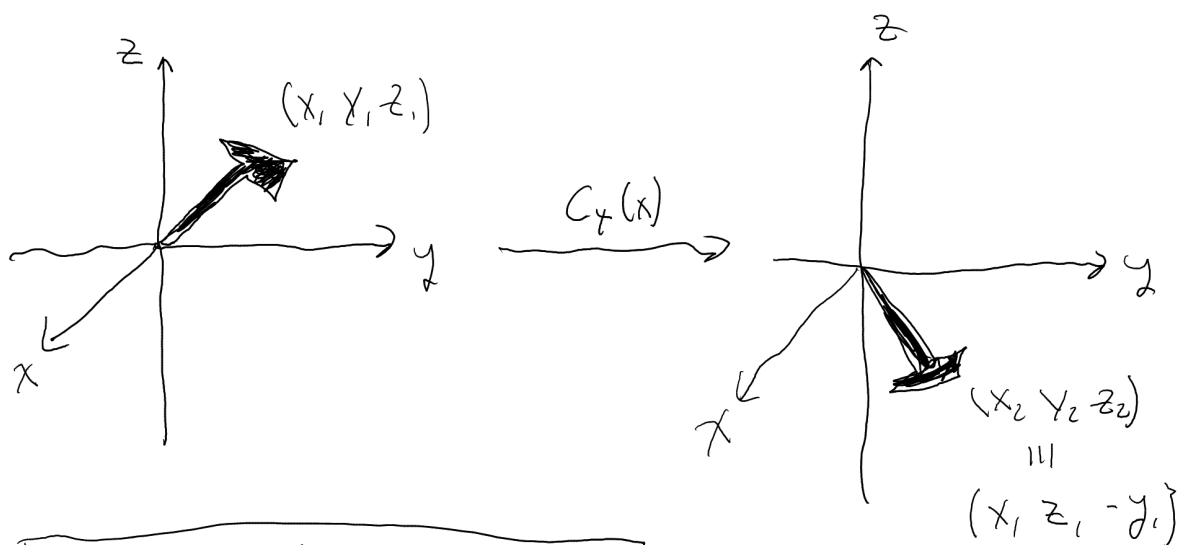


(5) Improper Axis of Rotation (S_n)

↳ 2 part operation (2 step operation)

C_n followed by reflection through a flat
 is I to C_n

$$S_4(X) (x_1, y_1, z_1)$$



Any molecule containing S_n cannot be chiral

